QCD-EW corrections interplay in Drell-Yan like single W and Z production at LHC

Renat SADYKOV JINR, Dubna on behalf of SANC group

Epiphany Conference, Cracow, January 4-6, 2007

Renat SADYKOV QCD-EW corrections interplay in Drell-Yan production at LHC

SANC v1.00

Server \leftrightarrow client realization, SANC IDE.

SANC version v1.00 is accessible from two servers:

at Dubna http://sanc.jinr.ru/ (159.93.75.10)

and CERN http://pcphsanc.cern.ch/ (137.138.180.42)

Client may be downloaded from these two sites, see User Guide in:

Ref.: SANCscope — v.1.00 A. Andonov, A. Arbuzov, D. Bardin, S. Bondarenko, P. Christova, L. Kalinovskaya, G. Nanava and W. von Schlippe, Comput. Phys. Comm. 174 (2006) 481; hep-ph/0411186 See also D. Bardin report on the ATLAS Monte-Carlo Meeting (February 20, 2006): http://indico.cern.ch/conferenceDisplay.py?confld=a06589.

Outline

ONE-LOOP EW CORRECTIONS

- CHARGED CURRENT
- NEUTRAL CURRENT
- Present status, v.1.00
- Comparisons:
 - 4th Les Houches Workshop Physics at TeV Colliders: DY, EW CC
 - TEV4LHC: DY, EW CC, NC

ONE-LOOP QCD CORRECTIONS

QCD-EW INTERPLAY

CONCLUSIONS

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Introduction

We will consider QCD and EW one-loop corrections to the next processes:

Neutral current Drell-Yan production:

$$p[q] + p[ar{q}]
ightarrow \gamma, \mathbf{Z}
ightarrow X + \ell^+ + \ell^-(+\gamma) \ p[\gamma] + p[q]
ightarrow \gamma, \mathbf{Z}
ightarrow X + \ell^+ + \ell^-(+\gamma) \ (\ell = e, \mu)$$

Charged current Drell-Yan production:

$$\begin{array}{l} p[q] + p[\bar{q'}] \rightarrow \mathbf{W}^{\pm} \rightarrow X + \ell^{\pm} + \nu_{\ell}(+\gamma) \\ p[\gamma] + p[q] \rightarrow \mathbf{W}^{\pm} \rightarrow X + \ell^{\pm} + \nu_{\ell}(+\gamma) \\ (\ell = e, \mu) \end{array}$$

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Born level diagrams for Drell-Yan like W and Z boson production



SANC, DY, EW, CHARGE CURRENT

γ — parton! inverse bremsstrahlung

 $\begin{pmatrix} -\\ qq'\\ \gamma q \end{pmatrix}$

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SANC, DY, EW, CHARGE CURRENT

$$\begin{pmatrix} q\bar{q'} \\ \gamma q \end{pmatrix} \otimes \begin{pmatrix} p_T^{\ell} \\ M_T^{\ell\nu} \end{pmatrix}$$
$$M_T^{\ell\nu} = \sqrt{2p_T^{\ell}p_T^{\nu}(1 - \cos\varphi_{\ell\nu})}$$

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SANC, DY, EW, CHARGE CURRENT

$\begin{pmatrix} \bar{q}\bar{q'} \\ \gamma \bar{q} \end{pmatrix} \otimes \begin{pmatrix} \bar{p}_T^\ell \\ M_T^{\ell\nu} \end{pmatrix} \otimes \begin{pmatrix} e \\ \mu \end{pmatrix}$ - γ recombination μ — bare

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We participated in tuned comparison within 2005 Les Houches Workshop.

List of participants:

- DK S. Dittmaier and M. Krämer (MPI)
- HORACE C.M. Carloni Calame, G. Montagna, O. Nicrosini, A. Vicini (PAVIA)
- SANC SANC group (JINR)
- W(Z)GRAD2 U. Baur, D. Wackeroth (FNAL)
- Ref.: C. Buttar et al, Les Houches Physics at TEV colliders 2005, Standard Model, QCD, EW and Higgs working group: Summary report, 61-67, hep-ph/0604120.

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The relevant input parameters are

 $G_{\mu} = 1.16637 \times 10^{-5} \text{GeV}^{-2}, \quad \alpha(0) = 1/137.03599911,$ $\Gamma_{\rm W} = 2.124 {\rm GeV}.$ $M_W = 80.425 GeV.$ $\alpha_{\rm e} = 0.1187.$ $M_{Z} = 91.1876 \text{GeV}.$ $\Gamma_{\rm Z} = 2.4952 {\rm GeV}.$ $M_{\rm H} = 115 {\rm GeV}.$ $m_e = 0.51099892 MeV.$ $m_{\mu} = 105.658369 \text{GeV}$. $m_{\tau} = 1.77699 \text{GeV}.$ $m_c = 1.2 \text{GeV}.$ $m_{11} = 0.066 \text{GeV}.$ $m_{t} = 178 GeV.$ $m_{d} = 0.066 GeV.$ $m_{e} = 150 MeV.$ $m_{\rm b} = 4.3 \text{GeV}.$ $|V_{us}| = 0.222$, $|V_{ud}| = 0.975.$ $|V_{cd}| = 0.222$, $|V_{cs}| = 0.975.$

The lowest order cross-section is parametrized in " G_{μ} scheme" ($\alpha_{G_{\mu}} = \sqrt{2}G_{\mu}M_W^2(1-M_W^2/M_Z^2)/\pi$). In the relative radiative corrections, however, $\alpha(0)$ is used.

We use the set of PDF's "MRST2004QED".

The set of lepton identification cuts is

 $\label{eq:pt_tau} \mathbf{P}_{\mathrm{T}}^{\ell} > 25 \mathrm{GeV} \text{,} \qquad \qquad \mathbf{P}_{\mathrm{T}}^{\mathrm{missing}} > 25 \mathrm{GeV} \text{,} \qquad \qquad |\eta_{\ell}| < 1.2.$

For electrons the following photon recombination procedure is considered:

- \blacksquare Photons with a rapidity $|\eta_{\gamma}|>2.5$ are treated as invisible.
- If the photon survived the first step, and if the resolution $R_{\ell\gamma} = \sqrt{(\eta_{\ell} \eta_{\gamma})^2 + \phi_{\ell\gamma}^2}$ is smaller than 0.1 then photon is recombined with the charged lepton.

For muons bare setup is used.

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δ definition

We produced the distributions for cross-section σ and correction δ . where the last is defined by $\delta = \sigma^{1-loop}/\sigma^{Born} - 1$ for NLO EW corrections and by $\delta = \sigma^{\gamma q} / \sigma^{\textit{Born}}$ for corrections originating from the photon induced process.

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Les Houches Workshop, EW, CC, δ [%]



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CC DY: σ , P_T^{ℓ} distribution



CC DY: δ , P_T^{ℓ} distribution



CC DY: σ , $M_T^{\ell\nu}$ distribution



CC DY: δ , $M_T^{\ell\nu}$ distribution



CC inverse bremsstrahlung: comparison between SANC and DK

$P_{T,\ell}/GeV$	$25 - \infty$	$50 - \infty$	$100 - \infty$		
$\sigma_0/{ m pb}$					
DK	+2112.2(1)	+13.152(2)	+0.9452(1)		
SANC	+2112.22(2)	+13.1507(2)	+0.94506(1)		
$\sigma_{\gamma q}/pb$					
DK	+1.50(2)	+0.689(1)	+0.1238(1)		
SANC	+1.566(1)	+0.6890(4)	+0.12374(6)		
$\delta_{\gamma q} / \%$					
DK	+0.071(1)	+5.24(1)	+13.10(1)		
SANC	+0.07414(5)	+5.239(3)	+ 13.091(6)		
$P_{T,\ell}/GeV$	$200 - \infty$	$500 - \infty$	$1000 - \infty$		
$\frac{P_{T,\ell}/GeV}{\sigma_0/pb}$	$200 - \infty$	$500 - \infty$	$1000 - \infty$		
$P_{T,\ell}/GeV$ σ_0/pb DK	$200 - \infty$ +0.11511(2)	$500 - \infty$ +0.0054816(3)	$1000 - \infty$ +0.00026212(1)		
$\frac{P_{T,\ell}/\text{GeV}}{\sigma_0/\text{pb}}$ DK SANC	$200 - \infty$ +0.11511(2) +0.115106(1)	$500 - \infty$ +0.0054816(3) +0.00548132(6)	$1000 - \infty$ +0.00026212(1) +0.000262108(3)		
$\begin{array}{c} \mathbf{P}_{\mathrm{T},\ell}/\mathrm{GeV} \\ \sigma_0/\mathrm{pb} \\ \mathbf{DK} \\ \mathbf{SANC} \\ \sigma_{\mathrm{Yq}}/\mathrm{pb} \end{array}$	$200 - \infty$ +0.11511(2) +0.115106(1)	$500 - \infty$ +0.0054816(3) +0.00548132(6)	$\begin{array}{l} 1000-\infty\\ +0.00026212(1)\\ +0.000262108(3) \end{array}$		
$\begin{array}{c} \mathbf{P}_{\mathrm{T},\ell}/\mathrm{GeV}\\ \sigma_{0}/\mathrm{pb}\\ \mathbf{DK}\\ \mathbf{SANC}\\ \sigma_{\gamma\mathbf{q}}/\mathrm{pb}\\ \mathbf{DK} \end{array}$	$200 - \infty$ +0.11511(2) +0.115106(1) +0.01892(2)	$500 - \infty$ +0.0054816(3) +0.00548132(6) +0.0007839(5)	$1000 - \infty$ +0.00026212(1) +0.000262108(3) +0.00003117(3)		
$\begin{array}{c} \mathbf{P}_{\mathrm{T},\ell}/\mathrm{GeV} \\ \sigma_{0}/\mathrm{pb} \\ \mathbf{DK} \\ \mathbf{SANC} \\ \sigma_{\gamma q}/\mathrm{pb} \\ \mathbf{DK} \\ \mathbf{SANC} \\ \mathbf{SANC} \end{array}$	$200 - \infty$ +0.11511(2) +0.115106(1) +0.01892(2) +0.01891(1)	$500 - \infty$ +0.0054816(3) +0.00548132(6) +0.0007839(5) +0.0007838(2)	$\begin{array}{r} 1000-\infty\\ +0.00026212(1)\\ +0.000262108(3)\\ +0.00003117(3)\\ +0.00003118(1)\end{array}$		
$\begin{array}{c} \mathbf{P}_{\mathrm{T},\ell}/\mathrm{GeV} \\ \sigma_{0}/\mathrm{pb} \\ \mathbf{DK} \\ \mathbf{SANC} \\ \sigma_{\gamma q}/\mathrm{pb} \\ \mathbf{DK} \\ \mathbf{SANC} \\ \mathbf{SANC} \\ \delta_{\gamma q}/\% \end{array}$	$200 - \infty$ +0.11511(2) +0.115106(1) +0.01892(2) +0.01891(1)	$500 - \infty$ +0.0054816(3) +0.00548132(6) +0.0007839(5) +0.0007838(2)	$\begin{array}{l} 1000-\infty\\ +0.00026212(1)\\ +0.000262108(3)\\ +0.00003117(3)\\ +0.00003118(1) \end{array}$		
$\begin{array}{c} \mathbf{P}_{\mathrm{T},\ell}/\mathrm{GeV}\\ \mathbf{\sigma}_{0}/\mathrm{pb}\\ \mathbf{DK}\\ \mathrm{SANC}\\ \boldsymbol{\sigma}_{\gamma\mathbf{q}}/\mathrm{pb}\\ \mathbf{DK}\\ \mathrm{SANC}\\ \boldsymbol{\delta}_{\gamma\mathbf{q}}/\%\\ \mathbf{DK}\\ \end{array}$	$200 - \infty$ +0.11511(2) +0.115106(1) +0.01892(2) +0.01891(1) +16.44(2)	$500 - \infty$ +0.0054816(3) +0.00548132(6) +0.0007839(5) +0.0007838(2) +14.30(1)	$\begin{array}{c} 1000-\infty\\ +0.00026212(1)\\ +0.000262108(3)\\ +0.00003117(3)\\ +0.00003118(1)\\ +11.89(1)\end{array}$		

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CC inverse bremsstrahlung: comparison between SANC and DK

$M_{T,\nu_{\ell}\ell}/GeV$	$50 - \infty$	$100 - \infty$	$200 - \infty$
σ_0/pb			•
DK	+2112.2(1)	+13.152(2)	+0.9452(1)
$\sigma_{\gamma q}/\text{pb}$			
DK	+1.198(6)	+0.01772(1)	+0.002406(1)
SANC	+1.264(1)	+0.017749(3)	+0.0023976(2)
$\delta_{\gamma q} / \%$			
DK	+0.0567(3)	+0.1347(1)	+0.2546(1)
SANC	+0.05321(5)	+0.13495(2)	+0.25366(5)
N. 10.11	X 0.0	1000	2000
$\mathrm{M}_{\mathrm{T},\nu_{\ell}\ell}/\mathrm{GeV}$	$500 - \infty$	$1000 - \infty$	$2000 - \infty$
${ m M_{T, u_{\ell}\ell}/GeV} \over \sigma_0/{ m pb}$	$500 - \infty$	$1000 - \infty$	$2000 - \infty$
${ m M_{T, u_{\ell}\ell}/GeV} \ \sigma_0/{ m pb} \ { m DK}$	$500 - \infty$ +0.057730(5)	$1000 - \infty$ +0.0054816(3)	$2000 - \infty$ +0.00026212(1)
$\frac{M_{T,\nu_{\ell}\ell}/\text{GeV}}{\sigma_0/\text{pb}}$ $\frac{DK}{\sigma_{\gamma q}/\text{pb}}$	$500 - \infty$ +0.057730(5)	$1000 - \infty$ +0.0054816(3)	$2000 - \infty$ +0.00026212(1)
$\begin{array}{c} \mathrm{M}_{\mathrm{T},\nu_{\ell}\ell}/\mathrm{GeV}\\ \overline{\sigma_{0}/\mathrm{pb}}\\ \overline{\mathrm{DK}}\\ \overline{\sigma_{\gamma\mathrm{q}}/\mathrm{pb}}\\ \overline{\mathrm{DK}} \end{array}$	$500 - \infty$ +0.057730(5) +0.00019241(6)	$1000 - \infty$ +0.0054816(3) +0.000017908(5)	$2000 - \infty$ +0.00026212(1) +0.000008194(3)
$\begin{array}{c} M_{T,\nu_{\ell}\ell}/\text{GeV} \\ \sigma_0/\text{pb} \\ DK \\ \sigma_{\gamma q}/\text{pb} \\ DK \\ SANC \end{array}$	$500 - \infty$ +0.057730(5) +0.00019241(6) +0.00019134(1)	$1000 - \infty$ +0.0054816(3) +0.000017908(5) +0.000017788(1)	$\begin{array}{l} 2000-\infty\\ +0.00026212(1)\\ +0.000008194(3)\\ +0.0000081102(4) \end{array}$
$\frac{M_{T,\nu_{\ell}\ell}/\text{GeV}}{\sigma_0/\text{pb}}$ DK $\sigma_{\gamma q}/\text{pb}$ DK SANC $\delta_{\gamma q}/\%$	$500 - \infty$ +0.057730(5) +0.00019241(6) +0.00019134(1)	$\begin{array}{l} 1000-\infty\\ +0.0054816(3)\\ +0.000017908(5)\\ +0.000017788(1) \end{array}$	$\begin{array}{l} 2000-\infty\\ +0.00026212(1)\\ +0.000008194(3)\\ +0.00000081102(4) \end{array}$
$ \begin{array}{c} M_{\mathrm{T},\nu_{\ell}\ell}/\mathrm{GeV} \\ \sigma_{0}/\mathrm{pb} \\ \mathrm{DK} \\ \sigma_{\gamma q}/\mathrm{pb} \\ \mathrm{DK} \\ \mathrm{SANC} \\ \delta_{\gamma q}/\% \\ \mathrm{DK} \end{array} $	$500 - \infty$ +0.057730(5) +0.00019241(6) +0.00019134(1) +0.3333(1)	$1000 - \infty$ +0.0054816(3) +0.00017908(5) +0.000017788(1) +0.3267(1)	$2000 - \infty$ +0.00026212(1) +0.000008194(3) +0.0000081102(4) +0.3126(1)

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CC DY: δ , P_T^{ℓ} distribution



CC DY: δ , $M_T^{\ell\nu}$ distribution



SANC, DY, EW, NEUTRAL CURRENT

γ — parton! inverse bremsstrahlung

 $\left(\begin{array}{c} q\bar{q} \\ \gamma q \end{array}\right)$

Renat SADYKOV QCD-EW corrections interplay in Drell-Yan production at LHC

SANC, DY, EW, NEUTRAL CURRENT



SANC, DY, EW, NEUTRAL CURRENT



Renat SADYKOV

QCD-EW corrections interplay in Drell-Yan production at LHC

NC DY: σ , P_T^{ℓ} distribution



NC DY: δ , P_T^{ℓ} distribution



NC DY: σ , $M_{\ell^+\ell^-}$ distribution



NC DY: δ , $M_{\ell^+\ell^-}$ distribution



The corrections for NC DY invariant mass $M_{\ell^+\ell^-}$ distribution are huge around Z-resonance. This effect is well known from the world literature. See, for example

U. Baur, S. Keller, W.K. Sakumoto, *QED radiative corrections to Z boson production and the forward backward asymmetry at hadron colliders.*, Phys.Rev.D57:199-215,1998, hep-ph/9707301

U. Baur, O. Brein, W. Hollik, C. Schappacher, D. Wackeroth, *Electroweak radiative corrections to neutral current Drell-Yan processes at hadron colliders.*, Phys.Rev.D65:033007,2002, hep-ph/0108274

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SANC application for processes Drell–Yan processes: tuned comparison

We continue tuned comparison within TEV4LHC Workshop.

List of participants:

- HORACE C.M. Carloni Calame, G. Montagna, O. Nicrosini, A. Vicini (PAVIA)
- SANC SANC group (JINR)
- W(Z)GRAD2 U. Baur, D. Wackeroth (FNAL)

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QCD NLO diagrams for DY CC



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QCD NLO diagrams for DY CC



QCD NLO diagrams for DY CC



QCD NLO diagrams for DY NC



Using SANC system we performed analytical calculations for these processes and got FORTRAN modules at parton level. Than we created a MC integrator based on VEGAS¹ algorithm to obtain a hadron level distributions convoluting parton level cross-sections with PDF (we used MRST2004QED). Also the substraction scheme (see, for instance²) was applied to avoid double counting of quark mass logarithms. Presented data are obtained with Les Houches workshop input parameters and setup.

²A. Arbuzov et al. Eur.Phys.J. **C 46** (2006) 407 hep-ph/0506110.

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¹G.P. Lepage, J.Comput.Phys. **27** (1978) 192.

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CC:

 $\left(\begin{array}{c}q'\bar{q}\\gq\end{array}\right)\otimes\left(\begin{array}{c}p_T\\M_T\end{array}\right)$

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CC:

 $\begin{pmatrix} q'\bar{q} \\ gq \end{pmatrix} \otimes \begin{pmatrix} p_T \\ M_T \end{pmatrix} \otimes \begin{pmatrix} \mu \\ e \end{pmatrix}$

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CC:

$$\left(\begin{array}{c} q'\bar{q} \\ gq \end{array}\right) \otimes \left(\begin{array}{c} p_T \\ M_T \end{array}\right) \otimes \left(\begin{array}{c} \mu \\ e \end{array}\right)$$

NC:

 $\begin{pmatrix} q\bar{q} \\ gq \end{pmatrix} \otimes \begin{pmatrix} p_T \\ M_{\ell+\ell^-} \end{pmatrix} \otimes \begin{pmatrix} \mu \\ e \end{pmatrix}$

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CC: $\left(\begin{array}{c}q'\bar{q}\\gq\end{array}\right)\otimes\left(\begin{array}{c}p_{T}\\M_{T}\end{array}\right)\otimes\left(\begin{array}{c}\mu\\e\end{array}\right)$ NC: $\begin{pmatrix} q\bar{q} \\ gq \end{pmatrix} \otimes \begin{pmatrix} p_T \\ M_{\ell^+\ell^-} \end{pmatrix} \otimes \begin{pmatrix} \mu \\ e \end{pmatrix}$

almost done.

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CC: σ , LO & NLO, P_T distribution



CC: δ , P_T distribution



CC: σ and δ , P_T distribution



CC: σ , LO & NLO, M_T distribution



Renat SADYKOV QCD-EW corrections interplay in Drell-Yan production at LHC

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CC: δ , M_T distribution



DY NC: LO & NLO distributions

NC:

$$\left(\begin{array}{c} q'\bar{q} \\ gq \end{array}\right) \otimes \left(\begin{array}{c} p_T \\ M_{\ell^+\ell^-} \end{array}\right) \otimes \left(\begin{array}{c} \mu \\ e \end{array}\right)$$

almost done.

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NC: σ , LO & NLO, P_T distribution



NC: δ , P_T distribution



NC: σ , LO & NLO, $M_{\ell^+\ell^-}$ distribution



NC: δ , $M_{\ell^+\ell^-}$ distribution



QCD-EW interplay. **CC**: δ , P_T distribution



QCD-EW corrections interplay in Drell-Yan production at LHC

QCD-EW interplay. **CC**: δ , M_T distribution



QCD-EW interplay. **NC:** δ , P_T distribution



QCD-EW corrections interplay in Drell-Yan production at LHC

QCD-EW interplay. **NC:** δ , $M_{\ell^+\ell^-}$ distribution



QCD & EW corrections for DY processes are presented within common setup, showing quite different structure (for some regions of particular distributions EW corrections dominate).

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QCD & EW corrections for DY processes are presented within common setup, showing quite different structure (for some regions of particular distributions EW corrections dominate).

The main goals are

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- QCD & EW corrections for DY processes are presented within common setup, showing quite different structure (for some regions of particular distributions EW corrections dominate).
- The main goals are
 - to implement all DY subprocesses in CC and NC branches at one-loop level during the work of tuned comparison groups

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- QCD & EW corrections for DY processes are presented within common setup, showing quite different structure (for some regions of particular distributions EW corrections dominate).
- The main goals are
 - to implement all DY subprocesses in CC and NC branches at one-loop level during the work of tuned comparison groups

■ to create "the best you can" (BYC) on this basement